

## Total Ozone Determination from the Backscattered Ultraviolet (BUV) Experiment

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### ABSTRACT

The algorithm used to derive total ozone from the Nimbus 4 Backscattered Ultraviolet (BUV) experiment is described. A seven-year global data set with more than one million retrievals has been produced and archived using this algorithm. The algorithm is a physical retrieval scheme using accurate radiative transfer computations. Error sources are discussed and verified using Dobson network comparisons and the statistics of the BUV A- and B-pair derived ozone values.

### 1. Introduction

Dave and Mateer (1967) demonstrated the feasibility of determining atmospheric ozone from measurements of the backscattered solar ultraviolet radiation at wavelengths near 310 nm. This was the basis of the algorithm later developed by Mateer *et al.* (1971) and used to obtain total ozone from measurements of UV radiances from the Backscatter Ultraviolet (BUV) experiment (Heath *et al.*, 1970) on the Nimbus 4 satellite for the initial months of operation. In 1976, NASA established the Ozone Processing Team (OPT) to create an extended multi-year BUV total ozone and ozone vertical profile data set. The original total ozone algorithm was critically evaluated and modifications were made, based on the results of error studies and instrument performance evaluations. This paper describes the operational total ozone algorithm used to process the BUV total ozone data, archived in the National Space Science Data Center (World Data Center-A for Rockets and Satellites), in November 1979.

The BUV experiment measures both the solar radiation backscattered by the earth and the solar irradiance in 12 wavelength bands, 1.0 nm wide, between 255.5 and 339.8 nm. Solar irradiance is measured by deploying a diffuser plate. The four longest bands centered at 312.5, 317.5, 331.2 and 339.8 nm are used by the total O<sub>3</sub> algorithm. The band centers and corresponding scattering and absorption coefficients are given in Table 1. Simultaneous measurements outside the O<sub>3</sub> absorption band are made at 380 nm with a filter photometer. Both the photometer

and the monochromator have a 200 km square field of view (FOV) at the earth's surface.

The solar irradiance measurement was made by deploying a diffuser plate in the instrument's FOV to reflect the solar radiation. Unfortunately, the reflecting properties of the diffuser plate changed dramatically with time, making the determination of any time dependence in the solar flux impossible. Time-independent values of the solar flux were used in the processing of the BUV data. The solar flux values were obtained by extrapolating the observed output to the first day of BUV operation.

### 2. Theoretical foundation

The backscattered radiance  $I$  is a function of many variables. The most important variables for the ozone algorithm are symbolized in the following expression:<sup>2</sup>

$$\frac{I}{F} = f(\lambda, \theta_0, \Omega, R, P_0, \mathcal{S}), \quad (1)$$

where:

- $\lambda$  wavelength
- $\theta_0$  solar zenith angle
- $\Omega$  total ozone amount in a vertical column of unit area
- $R$  surface reflectivity

<sup>2</sup> Rigorously, the radiance depends on the ozone density as a function of atmospheric pressure. Thus Eq. (1) should be written as  $I/F = f(\lambda, \theta_0, R, P_0, X(p))$ . However, for the total ozone wavelengths and for solar zenith angles less than 80° the backscattered radiance is only weakly dependent on the distribution of the stratospheric profile. Eq. (1) represents the stronger dependence on total ozone and the much weaker dependence on profile shape written symbolically as  $\mathcal{S}$ .

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TABLE 1. BUUV scattering and absorption coefficients.

Wavelength* (nm)	Scattering coefficient (atm <sup>-1</sup> )**	Absorption coefficients (atm-cm <sup>-1</sup> )
312.60	1.023	0.710
317.63	0.956	0.392
331.29	0.799	0.074
339.93	0.717	0.018
380.	0.450	0.

\* In air.

\*\* 1.0 atm = 1.01325 × 10<sup>5</sup> Pa. $p_0$  surface pressure $\mathcal{S}$  a symbol denoting the dependence on ozone profile shape $F$  extraterrestrial solar flux.

The wavelength  $\lambda$  and the solar zenith angle  $\theta_0$  are known for each measurement. In order to obtain total ozone,  $R$ ,  $p_0$  and  $\mathcal{S}$  need to be specified.

The radiance  $I$  (for  $\lambda > 310$  nm) consists primarily of solar radiation which penetrates the stratosphere. The radiation is reflected by the dense tropospheric air, clouds and the surface. The reflecting surface and almost 90% of the scattering atmosphere lie below the tropopause, above which lies almost 90% of the atmospheric ozone. Total O<sub>3</sub> retrieval without knowledge of the vertical distribution of the O<sub>3</sub> is possible because of the nearly complete spatial separation of the absorbers (i.e., the ozone molecules) from the scatterers and reflectors. The O<sub>3</sub> acts as an attenuator of the direct solar flux going to the troposphere and of the diffuse radiation scattered and reflected from it. Thus, the dependence on the distribution of O<sub>3</sub> is weak at all angles, except at very large solar zenith angles where the radiation does not effectively penetrate to the troposphere. The separation of the absorbers from the scatterers makes it possible to redefine  $R$  to include the effect of clouds and aerosols. From an analysis of the studies of Dave (1978) on the effect of aerosols on the backscattered radiance, and of Fraser and Ahmad (1978) on the effect of clouds and sea glint on the total ozone determination, we found that the radiative properties of aerosols, clouds and sea glint need not be explicitly included in the algorithm. It is possible to account for these effects by replacing the true surface reflectivity in Eq. (1) with an effective surface reflectivity of generally higher value derived from the radiance measurement outside the O<sub>3</sub> absorption band.

For a Lambertian reflecting surface, the reflectivity  $R$  can be separated from the functional form given in Eq. (1). Dave (1964) has shown that the total backscattered intensity  $I$  can be expressed as a sum of two terms: a purely atmospheric backscattered intensity  $I_0$  which is unaffected by the surface; and a component which accounts for the direct and the diffuse

radiation reflected by the surface:

$$I(\lambda, \theta_0, \Omega, R, p_0, \mathcal{S})$$

$$= I_0(\lambda, \theta_0, \Omega, p_0, \mathcal{S}) + \frac{R \cdot T(\lambda, \theta_0, \Omega, p_0, \mathcal{S})}{1 - RS_b(\lambda, \Omega, p_0, \mathcal{S})} \quad (2)$$

Here  $T$  is the total amount of direct plus diffuse radiation reaching the surface, multiplied by the atmospheric transmission of the diffuse reflected radiation in the direction of the satellite.  $T$  includes both directly transmitted and air-scattered radiation emerging at the top of the atmosphere. The numerator in the second term on the right-hand side accounts for the once-reflected radiation. Multiple reflection by the surface is accounted for by the term in the denominator, where  $S_b$  is the fraction of the reflected radiation, scattered back to the surface by the atmosphere.

For a wavelength outside the O<sub>3</sub> absorption band (380 nm), the radiance is ozone independent and does not depend on  $\Omega$  and  $\mathcal{S}$ . Therefore, Eq. (2) can be inverted to compute the effective surface reflectivity  $R$  once the surface pressure  $p_0$  is known.

The pressure  $p_0$  of the effective Lambertian surface is not directly retrievable from the BUUV radiances. For scenes not covered with clouds, the pressure can be obtained from standard terrain height tables. Ideally, in the presence of clouds, one needs a simultaneous independent measurement of the cloud top height. Lacking this information, the algorithm estimates the effective surface pressure from the reflectivity and latitude as described in Section 3d.

### 3. The total ozone algorithm

Total ozone is obtained by matching the measured radiances with computed radiances in a look-up table. The computation of the radiance look-up tables is described in Section 3a. The scene reflectance is determined by using the photometer measurements at 380 nm where there is no absorption by ozone (see Section 3b). Values of total ozone at two surface pressures are determined by using the derived reflectance and the four longest monochromator radiances (Section 3c). The recommended value of ozone is based on the estimated pressure of the reflecting surface (Section 3d), and also on the latitude and a weighted mix of the two pair-ozone values based on the solar zenith angle of the observation (Section 3e). Finally (Section 3f), we describe several validity checks which are used to maintain data quality.

#### a. Computation of theoretical radiances

Tables of the nadir backscattered radiance are required for each wavelength band and for several values of solar zenith angle  $\theta_0$ , surface reflectivity  $R$  and pressure  $p_0$ , and vertical profiles having different integrated total ozone amounts. In the ultraviolet, the

incoming solar radiation is strongly multiply scattered, and the backscattered radiation is a complex function of the parameters listed above. The backscattered radiances are computed for an atmosphere containing only air and ozone with an underlying reflecting surface. The radiances are computed using the auxiliary equation solution to the radiative transfer equations developed by Dave (1964). Following Dave, multiple scattering to seven orders of scattering is computed and a geometrical series extrapolation is used to approximate the remaining very small contribution for higher orders. The classical Rayleigh phase matrix is used and full account of polarization is taken. The band-scattering coefficients are based on the Penndorf (1957) tables. The reflecting surface is assumed to be Lambertian. Sphericity of the earth's atmosphere is accounted for accurately (DeLuisi and Mateer, 1971) for the primary scattering, but higher orders of scattering are calculated, assuming a plane-parallel atmosphere. The  $O_3$  absorption coefficients are based on the  $-44^\circ\text{C}$  measurements of Vigroux (1953). Klenk (1980) has described the computation of effective absorption and scattering coefficients for the UVB wavelength bands.

A set of 21 standard climatological  $O_3$  vertical profiles<sup>3</sup> are used to account for the dependence of the radiances on total ozone  $\Omega$  and profile shape  $\mathcal{S}$ . The profiles were constructed from a large number of ozonesonde measurements which were averaged according to total  $O_3$  and latitude band. There are significant differences in shape between profiles having the same  $O_3$  amount but corresponding to different latitude bands. Three such profiles containing a total  $O_3$  of 0.300 atm-cm are shown in Fig. 1. For the purpose of total  $O_3$  computation, the important difference between these profiles is the shifting of the ozone density maximum to lower altitudes in going from low to high latitudes. The standard profiles account for the systematic latitudinal variation in the vertical ozone distribution below 40 km. There are three low-latitude profiles corresponding to  $O_3$  amounts of 0.20 to 0.30 atm-cm, eight midlatitude profiles corresponding to amounts from 0.20 to 0.55 atm-cm, and ten high latitude profiles corresponding to amounts from 0.20 to 0.65 atm-cm, all in 0.05 atm-cm increments. The total  $O_3$  represents the integrated ozone amount from outside the atmosphere, to an atmospheric pressure of 1.0 atm. The increasing

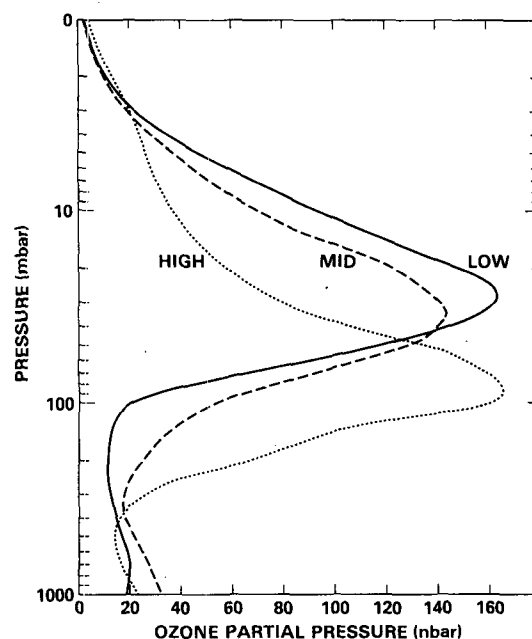


FIG. 1. Ozone vertical profiles for the low, middle and high latitudes each corresponding to a total ozone amount of 0.3 atm-cm.

range in ozone from the low to high latitude bands reflects the pattern of the natural variability of ozone, which is relatively constant in the equatorial regions and more highly variable in the higher latitudes.

The radiance tables consist of several smaller tables representing the three functions  $I_0$ ,  $T$  and  $S_b$ , appearing in Eq. (2). For the monochromator bands ( $\lambda = 312.5, 317.5, 331.2$  and  $339.8$  nm),  $I_0$  and  $T$  are tabulated for 10 values of  $\theta_0$ ,<sup>4</sup> two values of the surface pressure,<sup>5</sup> and for the 21 standard profiles; and  $S_b$  is tabulated for the two values of the surface pressure and for each of the 21 standard profiles. For the photometer band ( $\lambda = 380$  nm),  $I_0$  and  $T$  are tabulated for the 10 values of  $\theta_0$  and two values of surface pressure; and  $S_b$  is tabulated for the two values of surface pressure.

#### b. Computation of reflectivity

The effective reflectivity is computed from the measured photometer radiance  $I_{380}$  by solving Eq. (2) to obtain

$$R = \frac{I_{380} - I_0(380, \theta_0, p_0)}{T(380, \theta_0, p_0) + S_b(380, p_0)} \times [I_{380} - I_0(380, \theta_0, p_0)]. \quad (3)$$

The UVB monochromator steps through the 12

<sup>3</sup> A set of over 6000 ozone profiles measured by balloonborne instruments were categorized according to latitude and total ozone amount. Three latitude ranges,  $\pm 25^\circ$ ,  $\pm 25^\circ$  to  $\pm 55^\circ$  and poleward of  $55^\circ$ , and 0.05 m-atm-cm bins of total ozone were used. Rocket soundings were averaged by latitude to determine the upper-level profile (40–1 mb). The average profiles were computed by E. Hilsenrath, P. Dunn and C. Mateer and were presented at the IAGA/IAMAP Joint Assembly in Seattle, Washington, August 1970. The standard ozone profiles were derived from these averaged profiles by C. Mateer.

<sup>4</sup> In degrees: 0, 33.7, 48.4, 60.3, 71.1, 77.1, 80.4, 82.7, 84.4 and 85.7.

<sup>5</sup> 0.4 and 1.0 atm.

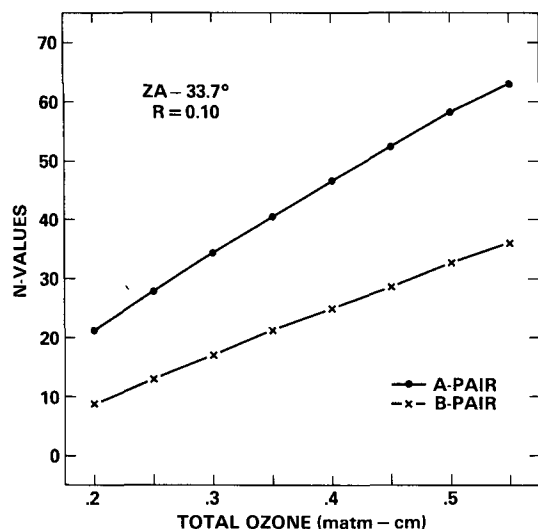


FIG. 2.  $N$ - $\Omega$  curve for A- and B-pairs for a solar zenith angle (ZA) of  $33.7^\circ$  and a surface reflectivity ( $R$ ) of 0.1.

wavelength bands sequentially in 1.5 steps. Since the FOV of the instrument changes by  $\sim 3\%$  every second, due to the satellite motion, significant scene changes can occur in the time it takes the instrument to step through the four total ozone bands. To account for this effect, photometer measurements are made simultaneously with each of the monochromator steps. Thus, four values of the photometer reflectivity are computed corresponding to the four total ozone FOV's. Since the surface pressure in the FOV is not known at this stage of computation, reflectivities are computed using both 1.0 and 0.4 atm tables.

### c. Computation of total ozone

To compute total ozone, measured radiances are paired in a manner similar to the ground based Dobson (Dobson, 1963) and Umkehr (Mateer and Dutsch, 1964) experiments. A longer wavelength measurement, which is relatively insensitive to  $O_3$ , is paired with an ozone-sensitive wavelength, primarily to eliminate errors due to absolute uncertainties in the monochromator calibration. Two wavelength pairs are used in this algorithm: the A-pair, composed of the 312.5 and 331.2 nm bands and the B-pair, composed of the 317.5 and 339.8 nm bands.

The dependence of the backscattered radiance on  $O_3$  is approximately exponential. A quantity called the  $N$ -value is defined to reduce the dynamic range of the total  $O_3$  dependence. The  $N_\lambda$ -value for a wavelength band is defined as

$$N_\lambda = -100 \log_{10} \frac{I_\lambda}{F_\lambda}, \quad (4)$$

and for a wavelength pair as

$$N_{\text{pair}} = N_\lambda - N_{\lambda'} = -100 \log_{10} \left[ \frac{I_\lambda}{F_\lambda} \right] / \left[ \frac{I_{\lambda'}}{F_{\lambda'}} \right]. \quad (5)$$

To determine total ozone, the following procedure is used. The  $N_{\text{pair}}$  versus total  $O_3$  dependence is constructed for each pair from the radiance tables using Eqs. (2), (4) and (5), the values of  $R$  obtained from the photometer radiances, and values of  $T$  and  $I_0$  interpolated to the solar zenith angle of the scene being measured. This dependence is illustrated in Fig. 2, for a reflectance of 0.1, solar zenith angle of  $33.7^\circ$  and middle latitudes. The  $N_{\text{pair}}$  values are joined to obtain a piecewise linear curve. Total  $O_3$  for each pair is obtained by linear interpolation between adjacent points using the measured value of  $N_{\text{pair}}$ .

For each retrieval, the algorithm derives  $O_3$  values independently from the two pressure tables for the appropriate latitude band and for both the A and B wavelength pairs. Thus, four  $O_3$  values are computed. In latitude bands which form boundaries for the low and middle, and middle and high latitudes, ozone values are derived for both of the two appropriate latitude bands. The first step to obtain a single "best" ozone is to determine the effective pressure or height which is assigned to the reflecting surface.

### d. Determination of surface pressure

No direct measure of reflecting surface pressure is available from the BUUV instrument. Instead, the pressure level is inferred from the measured reflectivity. The assumption is that clouds are good reflectors of UV radiation while land and sea are poor reflectors. Thus, if the effective reflectivity is large ( $R > 0.6$ ), it is assumed the reflection is from clouds. If the reflectivity is low ( $R < 0.2$ ), reflection from the surface is assumed. In the absence of definitive cloud statistics, we have assumed that whenever there are clouds, the cloud top pressure is 0.4 atm. The surface pressure used is based on a terrain height tape obtained from NOAA. Terrain height averaged over  $2^\circ \times 2^\circ$  areas is stored in tables as a function of latitude and longitude. The 1976 Standard Atmosphere (COESA, 1976) pressure-height relationship is used to convert this terrain height to a terrain height pressure  $P_{\text{terrain}}$ . Intermediate reflectivities ( $0.2 < R < 0.6$ ) are assumed to be from partly cloudy scenes. A reflectivity weighted pressure is determined from the surface and cloud top heights as

$$P = [(0.6 - R)P_{\text{terrain}} + (R - 0.2)(0.4 \text{ atm})]/0.4. \quad (6)$$

A complication to this scheme for assigning reflecting surface pressure is that it is possible for the surface to be covered by snow or ice and have a very high reflectivity but be close to sea level. The reflectivities derived from BUUV over permanently snow-covered regions such as Greenland and Antarctica are invariably higher than the maximum reflectivities

( $R \approx 0.8$ ) observed in lower latitudes. Since there is no way to differentiate between snow/ice and clouds over snow/ice, the following adjustment is made for latitudes poleward of  $55^\circ$ . For  $R > 0.8$ , a mix of the terrain height pressure and the nominal cloud pressure (0.4 atm) is applied with weights of 3 to 1:

$$P = \frac{3}{4}P_{\text{terrain}} + \frac{1}{4}(0.4 \text{ atm}). \quad (7)$$

For  $0.6 < R < 0.8$ , and latitudes greater than  $55^\circ$  the pressure is assumed to increase linearly from 0.4 atm at  $R = 0.6$  to the pressure given in Eq. (7) at  $R = 0.8$ .

#### e. Best ozone determination

Having determined an effective surface pressure, the corresponding ozone amount for each pair is computed by linear interpolation of the ozone derived using the 1.0 and 0.4 atm tables.<sup>6</sup>

In generating the 0.4 atm tables, the ozone contained in the climatological profiles below 0.4 atm has no effect on the computed backscattered radiance since the reflecting surface is assumed to be opaque. However, the ozone below 0.4 atm is included in the total ozone amount, when the 0.4 tables are used in order to account, albeit climatologically, for the ozone amount below the cloud. For elevated terrain, the amount of  $O_3$  in the climatological profile below the pressure corresponding to the terrain is not included in the derived total  $O_3$ .

The climatological profiles used to generate the standard radiance tables exhibit significant differences among the three latitude types, i.e., low, middle and high latitude types. We have defined boundary regions in which a shift from one latitude zone to a neighboring latitude is made. These latitude boundary regions are:

20–30° for low/middle zones

50–60° for middle/high zones.

The derived total  $O_3$  for a latitude lying in one of these boundary regions is a linear mix of the total  $O_3$  values derived from the standard tables for the two neighboring zones. For example, if the latitude  $L$  is between 50 and 60°, the latitude mix gives

$$\Omega = \frac{1}{10}[(60 - L)\Omega_{\text{mid}} + (L - 50)\Omega_{\text{high}}], \quad (8)$$

where  $\Omega_{\text{mid}}$  and  $\Omega_{\text{high}}$  are the pressure mixed middle latitude and high latitude values, respectively. One such value is obtained for each of the two pairs.

The relative sensitivity of the A- and B-pair  $N$ -values to total  $O_3$  varies significantly with solar zenith

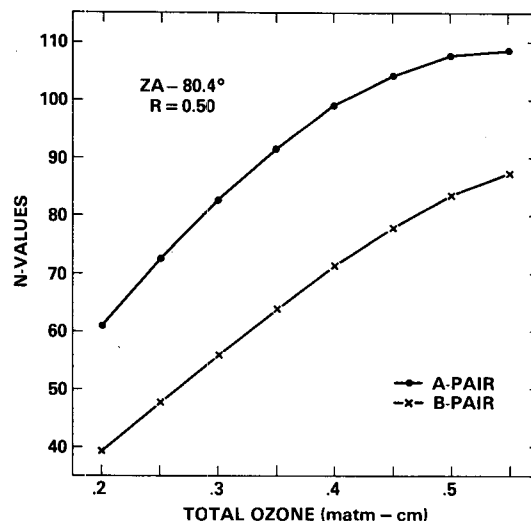


FIG. 3.  $N$ - $\Omega$  curve for A- and B-pairs for a solar zenith angle (ZA) of  $80.4^\circ$  and a surface reflectivity ( $R$ ) of 0.5.

angle. Referring to Fig. 2, it can be seen that for near overhead sun conditions, the A-pair is more sensitive ( $\sim 1.6$  times) to ozone than the B-pair. As a result, the B-pair ozone is found to be affected more by uncertainties in instrument calibration and errors in modeling the atmosphere. This situation reverses as we approach the solar terminator. The A-pair loses its sensitivity to total  $O_3$  because the 312.5 nm radiance no longer effectively penetrates to the atmosphere below the  $O_3$  maximum. On the other hand, the 317.5 nm radiances penetrate deeper into the atmosphere; hence, the B-pair loses its sensitivity much more slowly. This effect can be seen in Fig. 3, which shows the  $N$ - $\Omega$  curves for low sun conditions,  $\theta_0 = 80.4^\circ$ . The difference in the height of the scattering layer between 312.5 and 317.5 nm wavelengths implies that the A-pair radiances are more sensitive to the  $O_3$  profile shape than the B-pair. If the actual profile shape differs substantially from the climatological profile, the A-pair  $O_3$  will be more in error at large solar zenith angles than the B-pair  $O_3$  values.

In order to optimize the retrieval accuracy under all sun conditions, A- and B-pair ozone amounts are combined into a single recommended or "best" ozone value. The relative weighting of the pairs is done such that the A-pair answer is chosen at low solar zenith angles and the B-pair answer is chosen at large zenith angles. At intermediate solar zenith angles, a smooth transition is made from the A-pair to B-pair result. The best ozone is given by

$$\Omega_{\text{best}} = \Omega_A W + \Omega_B (1 - W). \quad (9)$$

In this equation,  $\Omega_A$  and  $\Omega_B$  are the pressure and latitude mixed ozone amounts and the weight  $W$  is a function of the slant path  $S (= 1 + \sec \theta_0)$  as follows:

<sup>6</sup> The linear approximation has been tested by comparing interpolated values to values obtained by solution of the radiative transfer equation. The pressure interpolation was found to be accurate to within 1%.

$$W = \begin{cases} 1, & S \leq 2.2 & (\theta_0 \leq 37^\circ) \\ \frac{S-5}{2.85}, & 2.2 < S < 5.0 & (37^\circ < \theta_0 < 76.3^\circ) \\ 0, & S \geq 5.0 & (\theta_0 \geq 76.3^\circ) \end{cases} \quad (10)$$

This procedure of mixing the ozone derived from the two pairs assumes that A- and B-pair estimates have the same mean value. However, from an analysis of the Nimbus 4 BUUV total ozone data, it was found that the A-pair ozone was consistently higher than the B-pair ozone by  $\sim 3.5\%$  when using the Vigroux (1953) ozone spectrum. This bias between the pairs would result in an artificial latitudinal dependence of the best ozone. The most likely cause for such a systematic bias between the two pairs is inconsistency of the  $O_3$  absorption coefficients. Klenk (1980) has shown that the different laboratory experiments consistently agree at 317.5 nm, but vary considerably at 312.5 nm. Consequently, we adjusted the A-pair for the bias in obtaining the best  $O_3$  as follows:

$$\Omega_{\text{best}} = 0.965W\Omega_A + (1 - W)\Omega_B,$$

where  $\Omega_A$ ,  $\Omega_B$  and  $W$  are as defined above. This adjusted result is very nearly the result we would have obtained using the Inn and Tanaka (1959) spectrum, corrected to the nominal stratospheric temperature of  $-44^\circ\text{C}$ .

#### f. Validity checks

The algorithm contains validity checks to maintain data quality. In processing prior to  $O_3$  determination, checks are made on the solar zenith angle, satellite attitude, instrument status and instrument output. This section describes the quality checks performed on the derived reflectivity and  $O_3$ . The purpose of these checks is to identify bad scans due to bad input which passes preprocessing checks or to limitations of the ozone algorithm.

Computed total  $O_3$  for each pair must be within the range of the radiance tables. For low, middle and high latitudes, the total  $O_3$  ranges are 0.18–0.32, 0.18–0.55 and 0.18–0.65 atm-cm, respectively. When the pair ozone exceeds the range, an error in the input data is usually the cause. When this occurs, that affected pair ozone value is not reported and no best ozone is recommended.

The sensitivity of the B-pair  $N$ -value to total ozone must be greater than 20 atm-cm $^{-1}$  (i.e., the  $N$ -value must vary by more than 1 unit for a 0.05 atm-cm change in ozone). Such small values of the sensitivity occur only at large solar zenith angles. Ozone values derived from portions of the radiance table where there is little or no dependence on ozone are extremely error prone and are rejected.

Reflectivity derived using the 380.0 nm photometer and 339.8 nm monochromator channels are compared. No best ozone is computed when the reflectivities differ by more than 0.1. Such large differences occur infrequently and are due to malfunctions in the instrument performance of either the photometer or the monochromator or in the recording or transmission of the data.

A check is made on the difference between the A-pair and B-pair ozone. If the difference exceeds 10% of the best ozone, then the best ozone is flagged but not deleted. This check is particularly important at large solar zenith angles where A – B differences are indicative of substantial profile shape departures from the algorithmic models. This check preferentially edits retrievals at larger values of total ozone, since the errors increase for the A-pair with increased  $O_3$  amount. Zonal means computed without the  $O_3$  values flagged for AB difference will be underestimates of the true zonal mean. Therefore, we recommend using these flagged values in the computation of zonal means.

#### 4. Analysis of errors

The seemingly simple question, “What is the error in the BUUV total ozone measurement?”, does not have a simple answer. Error sources are many and varied in nature. Furthermore, the importance of a particular error to a user of the data will depend on what he needs the data for. Some users of total  $O_3$  will be interested in the precision of the data. Others may be interested in the absolute accuracy of the retrieval or in those errors causing artificial long-term changes in  $O_3$ . Further complicating the answer to “what is the error?” is the fact that the dominant error in an individual retrieval is dependent on the observational situation. This is because the algorithmic errors and measurement errors propagate differently, depending on solar zenith angle, surface reflectivity, whether the A- or B-pair is used, presence of clouds, etc.

We have made an extensive study of the errors in BUUV total  $O_3$  retrieval. In this section we will present an overview of the BUUV errors. This error analysis is based on our best estimation of the errors in calibration, algorithm modeling and in external independent information used as input to the algorithm. Many of the important derived errors have been verified by comparison with Dobson total ozone data and by internal consistency analysis of the BUUV data alone. (The observed errors will be discussed in Section 6.)

##### a. Ozone absorption coefficients

Many authors (Inn and Tanaka 1959; DeLuisi 1975; Klenk 1980; Komhyr 1980) have pointed out

that there are significant discrepancies among the various laboratory and atmospheric measurements of the  $O_3$  absorption coefficients. Klenk has shown that atmospheric measurements of total  $O_3$  using Dobson AD and CD, and BUVA and B wavelength pairs derived with the Inn and Tanaka (1959) spectrum have inconsistencies of 4%. The use of other laboratory spectra lead to larger errors.

DeLuisi (1980) has compared ozone retrievals using detailed spectral measurements with those based on the AD pair wavelengths. He found an average difference of 6% between the two approaches when using the Vigroux (1953) spectrum. Recent high-resolution measurements by McPeters and Bass (1982) reduce the inconsistency of the atmospheric total ozone observation of Dobson and BUVA to ~2%. For the BUVA and Dobson data sets, the ozone absorption coefficients may introduce bias errors of up to 6% in the total ozone. An accuracy of approximately 3% is attainable with the Bass coefficients.

#### b. Tropospheric ozone variability

Ozone in the lowest few kilometers of the atmosphere above the earth's surface is difficult to detect in the BUVA method. When the underlying surface is dark, the algorithm will underestimate any deviations from the standard profile amount. The opposite is true when the surface is very highly reflecting. The tropospheric  $O_3$  sensitivity dependence is illustrated in Table 2. We used a standard midlatitude profile with 350 m-atm-cm of  $O_3$  and added 10 m-atm-cm to the lower (0–5 km) or upper (5–10 km) part of the troposphere. We then generated the radiances that would be detected for this modified profile for a range of surface reflectivities and solar zenith angles and ran these through the algorithm. Table 2 shows how much of the additional 10 m-atm-cm would be detected. For low reflecting surfaces which correspond to clear land or ocean scenes ( $R \leq 0.2$ ), the algorithm senses only 20–66% of the added ozone. For high reflecting surfaces ( $R \geq 0.8$ ), such as an ice surface, the added ozone amount is overestimated by up to 47% for solar zenith angles less than  $60^\circ$ . This case, which amounts to a fully snow-covered FOV in the equatorial region, does not actually occur. Thus, the error is nearly always one of underestimation. The second part of the table shows that the BUVA measurements are much more sensitive to  $O_3$  variations that occur in the upper troposphere. For middle and high latitudes, ~6% of the total  $O_3$  is contained in the lowest 5 km of the atmosphere. In addition, this amount is highly variable over a local region. For middle latitudes Krueger and Minzner (1976) estimate 50% variability in this range. Combining the amount of  $O_3$  present, the variability of this amount, and the sensitivity of the algorithm to changes in this region, we estimate a random error of up to 1.5% in

TABLE 2. Tropospheric ozone sensitivity.

$\theta_0$	$R=$	0	0.2	0.4	0.6	0.8	1.0
Layer 0–5 km							
0.0		4.5	6.6	8.5	10.4	12.5	14.7
33.7		4.3	6.3	8.2	10.0	11.9	14.0
60.3		3.6	5.2	6.7	8.3	9.9	11.7
77.0		2.1	3.1	4.1	5.1	6.3	7.5
82.7		2.0	3.1	4.1	5.2	6.4	7.8
Layer 5–10 km							
0.0		9.4	10.0	10.5	10.9	11.4	11.9
33.7		9.3	9.9	10.4	10.8	11.3	11.8
60.3		8.6	9.2	9.7	10.2	10.6	11.1
77.0		6.7	7.2	7.7	8.1	8.5	9.0
82.7		5.2	5.7	6.1	6.5	7.0	7.4

an individual retrieval, due to lack of sensitivity of the BUVA technique to lower tropospheric  $O_3$ . When thick clouds cover the scene, the ozone below the cloud is not sensed by the experiment. For the average cloud top (400 mb), approximately 6% of the total ozone is masked by the cloud. Since the natural variability of the tropospheric ozone is 50%, the uncertainty in the total ozone due to this error is 3%.

For low latitudes, the tropospheric  $O_3$  variability is much less. The standard deviation of tropospheric  $O_3$  may be as little as 10% there (Kirchhoff *et al.*, 1981). Therefore, the above errors should be scaled down accordingly.

#### c. Tropospheric climatology

The average amount of tropospheric ozone in the climatology used for BUVA is based on thousands of balloonsonde measurements from the 1960's through 1975. Recently, Kirchhoff (1982) has pointed out that there is a large discrepancy between recent balloon measurements made at Natal and the earlier measurements there. The recent measurements give a tropospheric amount about twice the amount of earlier measurements. Whether this is due to one or the other sets of measurements being in error or to a real change in the tropospheric ozone amount is not clear. There is some evidence for a long-term change in the tropospheric ozone amount. Attsmanpacher and Hartsmangruber (1980) have seen a long-term increase in tropospheric ozone at the Hohenpeissenberg Observatory.

An error in the average tropospheric  $O_3$  amount used in the BUVA algorithm would cause a systematic error in total  $O_3$ , because of the lack of sensitivity discussed in Section 4b. If the tropospheric  $O_3$  amount is 50% greater than the assumed value (5–6% below 5 km), then for clear-sky situations, the error is ~1.5% over bright surfaces, ~1.5% over dark surfaces, and ~3% for cloud-covered scenes.

A long-term drift in the tropospheric ozone amount

TABLE 3. Total ozone precision associated with measurement precision.

$\theta_0$ (deg)	Latitude	Total ozone (m-atm-cm)	Re- flectivity	Surface pressure (atm)	Total ozone precision (%)
0	Low	250	0.0	1.0	1.3
			1.0	0.4	1.3
60	Middle	300	0.0	1.0	1.0
			1.0	0.4	0.8
77	High	350	0.0	1.0	0.9
			1.0	0.4	0.7
85.7	High	400	0.0	1.0	1.4
			1.0	1.0	1.0

would cause an error in the derived long-term variation of the total ozone. The BUUV would only detect approximately one-half of the total tropospheric change.

#### d. Cloud surface versus snow/ice surface

The algorithm considers all reflecting scenes with  $R > 0.6$  in the low and middle latitudes to be cloud-covered scenes and scenes with  $0.2 < R < 0.6$  to be partly cloudy. In winter, a snow-covered land surface on a cloudless day, which has a reflectivity of 0.2–0.6, will be mistaken for partly cloudy conditions. In such cases, the ozone will be overestimated by the algorithm by an amount varying from 0–6%. The largest error will result for scenes that are completely clear but bright ( $R > 0.6$ ). This situation occurs rarely for latitudes below 55°.

The highest reflecting surfaces are the polar ice caps which have reflectances  $>0.9$ . These surfaces occur at high latitudes where the confusion between snow/ice and cloud causes less of a problem than for middle latitudes for several reasons: 1) the algorithm chooses an effective surface pressure at high reflectivities which is a compromise between the 1.0 and 0.4 atm pressure [see Eq. (7)], 2) the Antarctic continent is elevated terrain with surface pressures  $<0.9$  atm and, 3) high-latitude cloud tops are generally lower than 400 mb.

#### e. Instrument calibration

Wavelength-independent errors in the instrument calibration cancel when pairs of wavelengths are used. Because the reflectivity  $R$  is derived using a single wavelength, it is susceptible to absolute calibration error, and errors in the reflectivity propagate into errors in the total ozone. The BUUV albedo calibration accuracy is determined by the accuracy with which the solar diffuser has been calibrated, i.e., 1–2%. Propagation of this error leads to only a fraction of a percent error in total ozone.

Examination of the pre-launch calibration indicated wavelength-dependent errors on the order of 1–2% may exist. A 1% relative error between the wavelengths of a pair would lead to a systematic 1% error in the total ozone.

It is not possible to determine if any long-term change in the instrument calibration occurred. Long-term increases in the equatorial albedos were observed (Fleig *et al.*, 1981). These changes are largest at the shorter BUUV wavelengths. At 339.8 nm, the total 7-year change was less than 2%, while at 255.5 nm it was 15%. (We discuss the possible BUUV drifts in terms of Dobson comparisons in Section 6.)

#### f. Measurement noise

The precision of the BUUV measured radiance is limited not by the instrument or electronics, but by the size of the data word that is transmitted from the satellite. The measured radiance is digitized by a logarithmic analog-to-digital converter. The digitized measurement is proportional to the common logarithm of the raw radiance measurement. The digitization causes a  $\pm 1/2$  unit round-off error in the  $N$ -value as defined in Eq. (4). The standard deviation of the resulting error is 0.29. For a pair of wavelengths this error becomes 0.41. The corresponding precision in total  $O_3$  can be computed using the sensitivities  $dN/d\Omega$  from the standard radiance tables. In Table 3, we tabulate the total  $O_3$  precision for several typical values of solar zenith angle, reflectivity, surface pressure, latitude band and total  $O_3$ . The values are computed using the expression

$$P_{\Omega} = \frac{100}{\Omega} \frac{d\Omega}{dN} \Delta N = \frac{41}{\Omega} \frac{d\Omega}{dN},$$

where  $P_{\Omega}$  is the precision in the total ozone, expressed as a percentage and  $\Delta N$  the precision of the pair  $N$ -value ( $=0.41$ ). The values in Table 3 lie between 0.7 and 1.4%.

#### g. Aerosols

A study of the effect of aerosols on the BUUV total ozone retrieval was made by Dave (1978). He used 23 aerosol models containing both tropospheric and stratospheric aerosols, several aerosol size distributions and indices of refraction. The aerosol optical thicknesses at 312.5 nm range from 0.003 to 0.058 for the stratospheric aerosols models and from 0.193 to 1.033 for the tropospheric aerosols models (at the other BUUV wavelengths the values are slightly larger). For the models containing both tropospheric and stratospheric components, the aerosol optical thickness are  $\sim 1.00$ . Some of the models contained large imaginary parts of the refractive index and hence had large absorption optical thicknesses.

For all cases examined, the error in the total  $O_3$



was found to be less than 1% for all solar zenith angles  $< 85.7^\circ$ , even though the presence of aerosols had a significant effect on the backscattered radiance. For example, for the highest density purely scattering aerosol model at  $\theta_0 = 60^\circ$ , an effective surface reflectivity of 21% was observed for a situation where the underlying surface reflectivity was 10%.

The contribution of the aerosol distributions studied to the total  $O_3$  error budget is negligible. The effect of volcanic injection of aerosols has not been studied.

#### *h. Radiative transfer computations*

Dave's auxiliary equation solution to the radiative transfer equation (Section 3) is used to generate the standard radiance tables. Six iterations of the auxiliary equations are made. Each iteration accounts for the contribution due to one higher order of scattering. Multiple scattering is accounted for to better than 0.2% in all cases. A spherical shell correction is made to the incident radiation and residual spherical atmosphere effects are negligible in the angular range ( $0 \leq \theta_0 \leq 85.7^\circ$ ) of the total  $O_3$  retrieval. Depolarization due to anisotropic scattering is accounted for in the scattering phase matrix and contributes no more than a fraction of a percent error in the computed radiances. Finally, interpolation of the standard tables is accurate to better than 0.1%. In all, the generation and interpolation of the standard radiances contribute only very slightly to the inaccuracy of the ozone retrieval.

#### *i. Air scattering coefficients*

The air scattering coefficients are well known and do not introduce any measureable error in the algorithm. Band effective scattering coefficients are averaged using the instrument response function and the wavelength-dependent scattering coefficients of Penndorf (1957). Perhaps the greatest uncertainty in the scattering coefficients is the depolarization factor which has the effect of increasing the total scattering cross section over that associated with the isotropic Rayleigh scattering. Raman scattering may be responsible for half of the observed depolarization (Hoyt, 1977). The depolarization factor used in Penndorf's computation accounts for the Raman scattering contribution to the total air scattering in an approximate way. The depolarization factors as measured by several experimenters (see Penndorf 1957, Table II) are consistent to  $\sim 10\%$ . This means that the scattering coefficients are accurate better than 1% and introduce negligible errors with the total ozone retrieval.

#### *j. Errors at large solar zenith angles*

There are several errors which become important at solar zenith angles  $> 77^\circ$ . By far the most impor-

tant error for BUUV is the error due to the assumed vertical ozone distribution. Most of the discussion in this section will be concerned with these vertical profile errors. Of lesser importance are the errors due to the error in the solar zenith angle used in the retrieval, and the spherical atmosphere effects on the multiple scattered radiation.

A small error in the solar zenith angle at large values of solar zenith angle propagates into significant errors in the slant path length through the atmosphere, since this path is proportional to  $\sec\theta_0$ . Below  $80^\circ$ , the errors due to a  $0.5^\circ$  solar zenith angle error are just a small fraction of a percent. Near  $\theta_0 = 85^\circ$ , the errors in ozone due to a  $0.5^\circ$  error in the solar zenith angle are  $\sim 2\%$ . However, such large errors in the solar zenith angle are unlikely.

The spherical atmosphere is approximately accounted for as discussed earlier. Only multiple scattered radiation is not exactly corrected for spherical atmosphere attenuation. The attenuation of radiation between scatterings is computed based on a parallel plane geometry and the difference from the true spherical geometry is very small since the multiple scattering occurs in a relatively narrow layer of the atmosphere. The importance of this lower order spherical atmosphere effect is further minimized at large solar zenith angles, since the multiple scattering contribution becomes a smaller fraction of the total signal.

The algorithm sensitivity to profile shape becomes strong at large solar zenith angles. The increased absorption along the slant path of the incoming solar radiation prohibits the shorter wavelength radiation from penetrating to the surface. For this reason, the A-pair is more sensitive to the profile shape than is the B-pair.

The error in total  $O_3$  due to profile shape depends on how the profile shape differs from the standard profile and on the sensitivity of the backscattered radiances to the profile shape differences. In general, the sensitivity will depend on the total  $O_3$ , the solar zenith angle, the surface reflectivity, the wavelength pair, and the region of the atmosphere when the profile shape is different from the standard profile shape.

Profile shapes errors were studied by simulating total  $O_3$  retrievals for hundreds of  $O_3$  profiles obtained from balloon measurements. In Fig. 4, the uncertainty in total ozone due to profile shape variations is plotted versus solar zenith for both the A- and B-pairs and for surface reflectivities of zero and one. The scale division for the solar zenith angle scale in this figure is based on a secant function in order to expand the high solar zenith angle behavior. The plotted uncertainty is based on 207 balloon profiles from Payerne and Hohenpeissenberg, having total ozone amount between 0.325 and 0.375 m-atm-cm. It can be seen that for low reflectivity, the A-pair total ozone estimate reaches an error of 3% at a solar zenith angle

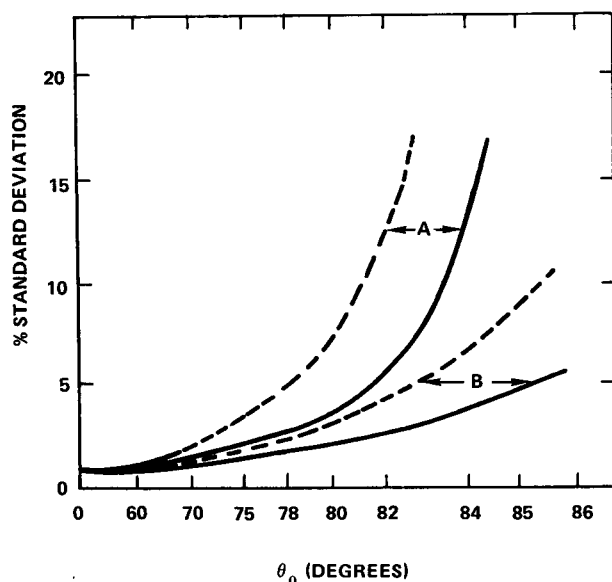


FIG. 4. Uncertainty in the A- and B-pair total ozone for  $R = 0$  (dashed curves) and  $R = 1$  (solid curves) plotted versus solar zenith angle.

of  $75^\circ$  and that the error increases rapidly beyond that point. The B-pair low reflectivity grows more slowly, reaching a 3% error at an angle of  $82^\circ$  and is only  $\sim 10\%$ , even when the sun is within  $4.3^\circ$  of the horizon. The errors are much smaller for bright scenes which is an important advantage for BUV. The Nimbus-4 satellite was in a sun-synchronous orbit with equator crossing at local noon. Consequently, high solar zenith angles occur at high latitudes where scene reflectivities are usually high due to the presence of snow and increased cloudiness. Therefore, on the average, BUV errors are likely to fall between the two reflectivity curves for the B-pair in Fig. 4.

#### k. Effective surface pressure

The surface pressure for a clear scene is accurately determined using terrain height tables. Small errors in terrain pressure of  $\pm 0.025$  atm are possible due to atmospheric pressure variation and interpolation of the terrain height tables. This leads to a very small error in the derived total  $O_3$ . For example, for  $\theta_0 = 0^\circ$ ,  $\Omega = 0.35$  atm-cm and  $R = 0$ , an error of  $\pm 0.001$  atm-cm would result. At  $71.1^\circ$ ,  $R = 0$  and  $\Omega = 0.35$  atm-cm, the error is  $\pm 0.002$  atm-cm. (If the B-pair were used at small values of  $\theta_0$ , larger errors would result. This is one of the reasons why we chose the A-pair for low  $\theta_0$ .)

For cloudy scenes, the error in the pressure of the cloud top causes a small error in the total  $O_3$  retrieval. At reflectivities typical of full cloud cover ( $R \approx 0.6$ ), the photometer  $N$ -value is almost completely independent of the surface pressure. Thus, the effective

reflectivity is not in error. The error in total  $O_3$  arises due to using the incorrect pressure tables for the pair  $N$ -values. If the cloud top pressure is overestimated by 100 mb, the total  $O_3$  will be underestimated by  $\sim 1\%$  at  $\theta_0 = 0^\circ$  and by 0.5% at  $\theta_0 = 71.1^\circ$ .

#### 5. Error summary

The errors discussed in the previous section are summarized in Table 4. The errors are grouped into two categories—systematic and random. Within the systematic category, we have sub-classified the errors according to three major sources—the measurement, the external information, and the algorithm and models used. Within the random error category, we distinguish between the measurement precision and algorithm precision. The algorithm precision is that caused by real physical random variations not modeled by the algorithm, e.g., tropospheric ozone variability.

Our overall accuracy estimate is 8–10%. This includes 6% due to the  $O_3$  absorption coefficient, 1% due to measurement accuracy and 1–3% algorithm errors. At larger solar zenith angles, the accuracy estimate degrades to approximately 12% at  $85.7^\circ$  over dark surfaces.

For large data samples, the variations of the real atmosphere about the model atmosphere used in the algorithm resemble a random error. Errors such as tropospheric ozone variability, cloudiness, aerosols and profile shape errors at large solar zenith angles contribute. This pseudo-random component can be considered a kind of algorithmic precision. For clear sky, low to moderate solar zenith angles in the middle and high latitudes, this precision is 1.5%. For cloudy scenes and low to moderate solar zenith angles, the algorithm precision is 3%. The measurement precision is limited by the data word size of the measured radiance. The Nimbus 4 BUV precision is 0.7–1.3% depending on solar zenith angle. (For Nimbus 7 SBUV, this error is less than 0.1%.) The total overall precision is a combination (sum of squares) of the measurement and algorithmic precision which ranges from 1.7 to 3.4% for clear to fully cloudy situations. For low latitudes where the variability of the tropospheric ozone is small, the precision approaches the measurement precision 1.3% (from Table 3).

#### 6. Observed errors

A degree of confidence in the error analysis discussed in the preceding sections can be obtained by studying the consistency of the A-pair and B-pair results and by comparing BUV results with the Dobson ground-station network. The observed errors are summarized in Table 5.

TABLE 4. Total ozone error summary for Nimbus-4 BUV.

Error	Description	Systematic component			Random component	
		Measurements	External information	Algorithm/model	Measurements precision	Algorithm precision
Ozone absorption coefficients	(a) Absolute accuracy in 300 nm region	—	6%	—	—	—
Tropospheric ozone variability	Based on 50% variability					
	(a) Over dark or bright surface ( $R < 0.2$ , $R > 0.8$ )	—	—	—	—	1½%
	(b) Over cloud	—	—	—	—	3%
Tropospheric ozone climatology	Based on 50% underestimate					
	(a) Dark ( $R < 0.2$ ) 1.0 atm surface	—	—	-1½%	—	—
	(b) Bright ( $R > 0.8$ ) 1.0 atm surface (does not exist in low latitude)	—	—	+1½%	—	—
	(c) Cloud top at 0.4 atm	—	—	3%	—	—
Bright snow/ice surface	(a) Middle latitudes (<55°)	—	—	3%	—	—
	(b) High latitudes (>55°) errors	—	—	<1%		
Instrument calibration	Absolute calibration via $R$	<1%	—	—	—	—
	Relative calibration	1%	—	—	—	—
Measurement noise	Data word size	—	—	—	0.7–1.3%	—
Aerosols	Based on Dave (1978) calculations	—	—	Extreme cases up to 1%	—	<0.5%
Radiative transfer computations	High-order multiple scattering	—	—	0.2%	—	—
	Table interpolation	—	—	0.1%	—	—
Scattering cross sections	Uncertainty in depolarization/ approximate accounting of Raman scattering	—	—	Less than 1%	—	—
Ozone profile shape Variability of large-solar zenith angle	(77° to 85.7°) Low reflectivity	—	—	up to 5%	—	3–10%
	High reflectivity	—	—	up to 3%	—	2–5%
Surface pressure errors	Terrain pressure precision $\pm 25$ mb	—	—	—	—	<0.5%
	For cloud top Variability $\pm 100$ mb Full Cloud $R = 0.6$	—	—	—	—	$\pm 1/2$ –1%

*a. Bias*

The BUV and Dobson results differ on the average by 3.5% and the BUV A-pair and B-pair results differ by 3.5%. It is likely that these differences are mainly due to differences in the  $O_3$  absorption coefficients used.

*b. Precision*

The standard deviation of the Dobson/BUV difference is dependent on the measurement precision of both instruments, the precision of the BUV and Dobson algorithms and coincidence noise. The combined measurement and algorithmic precision of a

TABLE 5. Observed errors in total ozone from Nimbus 4 BUV.

	Accuracy	Precision
<i>Dobson comparison</i>		
Clear sky/AD-pair results		
Dobson-BUV	3.5%	—
Equatorial comparisons to minimize coincidence noise	—	1.0–1.5%
Overall precision Middle latitude—all codes	—	2.0–2.5%
Drift versus time	0.3–0.7% per year	—
<i>Internal BUV consistency</i>		
A-pair, B-pair difference		
Average	3.5%	—
Standard deviation	—	2–3%
A-pair, B-pair long-term drift	0.3–0.4% per year	—

well-operated Dobson instrument is estimated to be 1.5% (NASA Reference Publication 1049, 1979). The coincidence noise can be minimized using low-latitude intercomparisons. The standard deviation of the BUV/Dobson difference at the latitude stations closest to the equator range from 1.5 to 3.0%. Using a Dobson precision of 1.5%, the BUV precision estimate is 0–2.6%. The 1.5% Dobson precision is probably too large. Reducing the Dobson precision by half to 0.7%, the BUV precision estimate is 1.3–2.9%. This result is in agreement with our estimate for low latitudes based on measurement precision only, –1.3%.

Middle-latitude Dobson/BUV comparisons at Arosa in autumn for all conditions leads to a precision estimate for BUV of 2.0–2.5%. This falls between the clear sky and cloudiness algorithmic-precision estimates of 1.7–3.4%.

Another check on the BUV precision is the standard deviation of the difference between the A-pair and B-pair. This quantity is a composite of the instrument noise and only a fraction of the algorithmic noise. For small and moderate solar zenith angles and for clear sky, the algorithmic error due to tropospheric ozone is nearly the same for the two pairs and so the standard deviation for the AB difference is expected to be due to mainly measurement noise. The standard deviation of the AB difference for small reflectivities ( $R < 0.2$ ) and moderate solar zenith angles is found to be 2.0–2.5%. This is in agreement with the error predicted based on measurement precision alone, –2%.

### c. Long-term trends

Fleig *et al.* (1981) showed that long-term trends exist in the average equatorial radiances. Using Umkehr comparisons, they showed that a significant amount, if not all of the trend, at the shorter wavelengths could be associated with BUV instrument

change (Fleig *et al.*, 1980). The BUV total ozone also shows a long-term trend relative to the Dobson network. The BUV/Dobson bias, using the full Dobson network, decreases with time for the first five years of BUV operation. After 1975, there is a hint of an increase but the drop in BUV coverage and corresponding coincidence statistics make the determination of trend beyond 1975 difficult. We have studied the decreasing BUV trend relative to Dobson using all stations, selected sub-sets and individual stations with good reputations. All of these analyses resulted in BUV decreasing trends, relative to Dobson, of between 0.3 and 0.7% per year for the 1970–75 time period.

Supporting the hypothesis that BUV instrumental drift was responsible for the long-term BUV/Dobson drift, is the relative A-pair/B-pair drift. For the full seven years of operation, the AB difference decreased almost linearly at a rate of 0.3–0.4% per year. It is likely that both the A-pair and B-pair are drifting and in the same direction. The drift of the difference can be considered an estimate of the minimum rate that the BUV total ozone has drifted. This is not necessarily the case if the drift is due to a slow change in the wavelength calibration. However, the on-board wavelength calibration measurement showed no sign of drifting.

## 7. Applicability to Nimbus 7 SBUV/TOMS ozone measurements

The Nimbus 7 SBUV and TOMS experiments also have the capability for total ozone determination. The algorithms for these experiments are improved versions of the algorithm described here, and differ in several significant ways. Therefore, we caution users who would use both data sets in their research that the two data sets are not entirely compatible. The SBUV/TOMS algorithms differ from the BUV algorithm in several ways: 1) use of the ozone absorption coefficients of Inn and Tanaka (1959) instead of Vigroux (1953); 2) use of a latitude-dependent cloud-top height climatology based on the Temperature and Humidity Infrared Radiometer (THIR) derived cloud parameters, replacing the 0.4 atm cloud height used by the Nimbus 4 BUV algorithm; 3) use of daily snow/ice maps; and 4) use of an improved retrieval scheme at high solar zenith angles. This list is not complete but mentions the major differences. Each of these modifications could cause a systematic difference between the data sets, however small. The differences are not easily determined or specified, since they will be complex functions of solar zenith angle, ozone, latitude, wavelength and reflectivity.

## 8. Summary

The precision of the BUV total ozone retrieval is better than 2% for ideal clear sky conditions which

occur nearly 50% of the time. The precision is better than 4% for most other conditions. Retrievals at solar zenith angles between 82–86° are better than 5%, but comprise only a few percent of the data set. Overall, the precision of the global data set is ~3%.

The BUV data set is a high-quality, independent, global and multi-year data set. The ozone data are archived at the World Data Center-A for rockets and satellites. These data sets can be obtained from the National Space Science Data Center, NASA, Goddard Space Flight Center, Greenbelt, MD.

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